## AC Concepts

## Amplifier Gain

The 3 types of Gain
$\checkmark$ Current Gain $\quad \mathrm{A}_{i}=\frac{i_{\text {out }}}{i_{\text {in }}}$
V Voltage Gain $\quad \mathrm{A}_{v}=\frac{v_{\text {out }}}{V_{\text {in }}}$
$\varangle$ Power Gain $\quad \mathrm{A}_{\mathrm{p}}=\frac{p_{\text {out }}}{p_{\text {in }}}$


## Phasing Relationships

$\checkmark$ The Input and Output currents are in phase $\checkmark$ The Input and Output voltages are $18 \mathbf{0}^{\circ}$ out of phase


Current and Voltage Relationship

## AC Emitter Resistance

$$
\mathbf{r}_{e}^{\prime}=\frac{25 \mathrm{mV}}{\mathrm{IE}} \quad \mathbf{r}_{e}^{\prime}=\frac{\Delta \mathrm{V}_{\mathrm{BE}}}{\Delta \mathrm{IE}_{\mathrm{E}}}
$$



The figure to the right shows the diode curve for the base emitter junction of a transistor. If the transistor is biased at the operating point labeled $\mathrm{Q}_{1}$, The change in $I_{B}$ causes the corresponding change in $\mathrm{V}_{\mathrm{BE}}$. Note that the changing values are shown as $\Delta \mathrm{I}_{\mathrm{B}}$ and $\Delta \mathrm{V}_{\mathrm{BE}}$. Note that the value of $\Delta V_{B E}$ produced by $\Delta \mathrm{I}_{\mathrm{B}}$ decreases if the transistor is biased at the operating point labeled $\mathrm{Q}_{2}$. Thus the value of r'e is affected by the biasing point of the amplifier.
ac Beta -- a.k.a. $\beta_{a c}$ and $\boldsymbol{h}_{f e}$
The ac current gain is different than the dc current gain. This has to do with the fact that dc current gain is measured with $I_{C} \& I_{B}$ being constant. AC current gain is measured with changing ac current values.
The ac beta is the ratio of ac collector current to ac base current.



Example 9-1 is an example of finding ac emitter resistance

## The Role of Capacitors in Amplifiers

Capacitors have 2 roles in our common emitter amplifier

- Coupling Capacitors allow the ac signal to pass from one amplifier to another, while providing dc isolation between the two.
- Bypass capacitors are used to "short circuit" ac signals to ground while not affecting the dc operation of the circuit.
- Both types depend on the mathematical relationship



## Capacitive Reactance

This formula says that the capacitive reactance is inversely proportional to frequency and to capacitance.

- If you double the frequency - the reactance drops by half
- When the frequency is high enough, the reactance approaches zero
- When the frequency decreases to zero, the reactance becomes infinite.


## This means:

- A capacitor is an ac short at high frequencies
- A capacitor is a dc open at low frequencies

The Coupling Capacitor

## The Critical Frequency

The critical frequency for the circuit to the right is the frequency that produces a capacitive reactance that is equal to the total resistance in the circuit.

$$
\text { or } \quad \mathbf{X}_{\mathrm{C}}=\mathbf{R}
$$

For this condition:

$$
I=0.707 I_{\text {(max }}
$$



This means that at the critical frequency, the rms current decreases to $70.7 \%$ of the maximum value.

## The High Frequency Border

We know that the coupling capacitor acts like a short at high frequencies but what does "high" mean:

High means 10 times as high as the critical frequency
When we say that the reactance has to be at least 10 times smaller than the total resistance, we are saying that the frequency has to be at least 10 times higher than the critical frequency.

$$
\boldsymbol{f}_{\mathrm{h}}>10 \boldsymbol{f}_{\mathrm{C}}
$$

Given an RC circuit


## The High Frequency Border

The high frequency border is where high frequencies begin for the coupling capacitor.

Above the high frequency border, the load current is within $1 \%$ of the maximum value.


- At the critical frequency $X_{C}$ and $R$ are equal
- As the frequency goes up , $\mathrm{X}_{\mathrm{C}}$ goes down At $10 f_{C}, X_{C}$ has dropped to one tenth of its critical frequency value

$$
\begin{gathered}
\mathbf{X}_{\mathrm{C}}=\mathbf{0 . 1 R} \text { at the border frequency } \\
\text { Where } \mathrm{R}=\mathrm{R}_{\mathrm{G}}+\mathrm{R}_{\mathrm{L}}
\end{gathered}
$$

## An Example Calculation

Find the high frequency border Find the maximum current

$$
\begin{aligned}
\boldsymbol{I}_{(\max )} & =\frac{v_{\mathrm{G}}}{\mathrm{R}_{\mathrm{G}}+\mathrm{R}_{\mathrm{L}}} \\
& =\frac{1 \mathrm{~V}}{1 \mathrm{k} \Omega+4 \mathrm{k} \Omega} \\
& =200 \mu \mathrm{~A}
\end{aligned}
$$

$$
f_{\mathrm{C}}=\frac{1}{2 \pi \mathrm{RC}} \frac{1}{=}
$$

## The Bypass Capacitor

This figure shows a bypass capacitor.

As can be seen, it is connected in parallel across a resistor rather than in series as with the
 coupling capacitor.
The reason is to shunt or bypass ac current away from the resistor.
When the frequency is high enough, the capacitor appears as an ac short at point A , shorting point A to ground.

If we were to look at point A with an oscilloscope, we would see nothing at high frequencies because point A is at ground potential.

## The Critical Frequency

The critical frequency for this circuit is the same as before.

In this formula, R is the Thevenin Resistance facing the capacitor.

To find it, short out the voltage source and you can see that $\mathrm{R}_{\mathrm{G}}$ and $R_{L}$ are in parallel

$$
\mathbf{R}=\mathbf{R}_{\mathrm{G}} \| \mathbf{R}_{\mathrm{L}}
$$



## The High Frequency Border

The high frequency border is the same as before:

$$
f_{\mathrm{H}}=10 f_{\mathrm{C}}
$$

When the generator is equal to or greater than this value, the bypass capacitor acts

like a short and point $A$ is at ac ground.
If we were to connect an oscilloscope to point A , we would see almost no signal since point A is now at ac ground.

## An Example Calculation

For this bypass circuit, calculate the high frequency border.
a) We know the Thevenin resistance facing the capacitor is

$$
\mathrm{R}_{\mathrm{G}} \| \mathrm{R}_{\mathrm{L}}=800 \Omega
$$

Find the critical frequency:


$$
\begin{aligned}
f_{\mathrm{C}} & =\frac{1}{2 \pi \mathrm{RC}} & f_{\mathrm{H}} & =10 f_{\mathrm{C}} \\
& =\frac{1}{(6.28)(800 \Omega)(100 \mu \mathrm{~F})} & & =10(1.99 \mathrm{~Hz}) \\
& =1.99 \mathrm{~Hz} & & 19.9 \mathrm{~Hz}
\end{aligned}
$$

When the generator frequency is equal to or greater than 19.9 Hz , point $A$ is at ac ground.

Coupling \& Bypass Capacitors

## Equivalent Circuits

## Coupling Capacitors

This circuit shows a typical three stage common emitter amplifier.

Note the position of the three coupling capacitors.

Three Stage Amplifier These should ideally be "transparent" to the ac signal, thus allowing it to pass with no loss from stage to stage.

Bypass Capacitors
Note the position of the three bypass capacitors.
These are ideally "transparent" to the ac signal also and should hold the emitter of the transistor at ac ground.

## The de Equivalent Circuit

Note that all the capacitors have been replaced with open circuits.

These open circuit represent the capacitor's infinite opposition to the dc current and voltage levels of the three stages.


Three Stage Amplifier The DC Equivalent

This is the circuit that you will use to solve for the de voltages that are present in the circuit.

## The ac Equivalent Circuit

Note that all the capacitors have been replaced with short circuits.

These represent the capacitor's "transparent" quality to the ac signal voltage and allow it to pass unhindered, from stage to stage.


Three Stage Amplifier
The AC Equivalent

Remember that the de supply $\left(\mathrm{V}_{\mathrm{CC}}\right)$ has a very low ac resistance value. We must replace the dc source with a ground in the equivalent circuit because the ac signals see $\mathrm{V}_{\mathrm{CC}}$ as a ground. AC Analysis -- Simplifying the Circuit -- The Process Derive the ac equivalent circuit for the circuit shown Step 1

- Short out all the capacitors in the circuit
- Replace all the dc sources with a ground
- This gives us circuit (b) below

(b)

After step 1


Before ac Analysis


After Step 2


## AC Analysis -- Simplifying the Circuit -- The Process (cont.)

- Note that $\mathrm{R}_{1}$ is in parallel with $\mathrm{R}_{2}$
- Redraw the circuit as shown in (d)


After Step 2
$(\mathrm{d}) \overline{=}$
Step 3
Fig (d) shows the final ac equivalent circuit. Note: The ac equivalent circuit is based on the ac characteristics of the amplifier and does not affect the dc analysis or troubleshooting the amplifier.

Remember that there are three types of gain：
『 Voltage Gain
『 Current Gain
『 Power Gain
Remember：－that gain is a ratio
－That gain is a number without units
－That gain is a multiplier that exists between the input and output of an amplifier

## Voltage Gain

$$
\mathbf{A}_{\mathrm{V}}=\frac{\boldsymbol{v}_{\text {out }}}{\boldsymbol{v}_{\text {in }}}
$$

Where： $\mathrm{A}_{\mathrm{v}}=$ the voltage gain of the amplifier
$v_{\text {out }}=$ the ac output of the amplifier
$v_{\text {in }}=$ the ac input of the amplifier
Example 9.3 shows an example calculation

## Predicting Voltage Gain

How can we predict the voltage gain of an amplifier when $\boldsymbol{v}_{\text {out }}$ and $\boldsymbol{v}_{\text {in }}$ are not known？

$$
\mathbf{A}_{\mathrm{V}}=\frac{r_{\mathrm{C}}}{r^{\prime}{ }_{e}}
$$

Where： $\mathrm{A}_{\mathrm{v}}=$ the voltage gain of the amplifier
$\boldsymbol{r}_{\mathrm{C}}=$ the total ac resistance of the collector circuit
$r^{\prime}{ }_{e}=$ the ac emitter resistance of the transistor

## What is $r_{C}$

## $\mathbf{r}_{\mathrm{C}}$ is the total ac resistance of the collector circuit

Circuit (a) below shows a common emitter amplifier with a load resistor connected.

Circuit (b) shows the resultant circuit with $\mathrm{R}_{\mathrm{C}}$ in parallel with $\mathrm{R}_{\mathrm{L}}$

(a)

(b)

Examples $9.4 \& 9.5$ shows examples of determining $\mathrm{A}_{\mathrm{V}}$

## Voltage Gain Instability

This circuit shows us an ac model of our common emitter amplifier.

The voltage gain is equal to the ratio of ac collector resistance to the ac emitter resistance.

Remember that $r_{e}$ (ac emitter resistance) is a dynamic value that can change with temperature.


AC Equivalent Circuit with the T Model Because of this, the voltage gain of our amplifier, as it exists, can be somewhat unstable. To reduce this effect due to temperature, the swamped amplifier is used.

## Amplifier Gain 9.4

## Calculating $\nu_{\text {out }}$

Calculating $\boldsymbol{v}_{\text {out }}$ is a simple task when the voltage gain is known.

$$
v_{\mathrm{out}}=\mathrm{A}_{v} v_{\mathrm{in}}
$$ determining $\boldsymbol{v}_{\text {out }}$

## Current Gain

Current Gain $\left(\mathrm{A}_{\mathrm{i}}\right)$ is the factor by which ac current increases from the input of an amplifier to the output.

$$
\mathrm{A}_{i}=\frac{\boldsymbol{i}_{\mathrm{out}}}{\boldsymbol{i}_{\mathrm{in}}}
$$

where $A_{i}=$ the current gain of the amplifier.
$\mathrm{i}_{\text {out }}=$ the ac output or load current
$\mathrm{i}_{\text {in }}=$ the ac input or source current

We know that the current gain of the transistor is given on the spec. sheet as $\mathrm{h}_{\mathrm{fe}}$
The actual amplifier gain will always be lower than the value of $\mathrm{h}_{\mathrm{fe}}$ for 2 reasons:

1) The ac input current is divided between the transistor and the biasing network.
2) The ac collector current is divided between the collector resistor and the load

## Power Gain $A_{P}$

Power Gain $\left(\mathrm{A}_{\mathrm{p}}\right)$ is the factor by which ac signal power increases from the input of an amplifier to the output.

Power gain can be found by multiplying current gain by voltage gain.

$$
\mathrm{A}_{p}=\mathrm{A}_{i} \mathrm{~A}_{v}
$$



## Power Gain (continued)

Once the power gain of an amplifier has been determined, you can calculate the output power at the load:

$$
\boldsymbol{p}_{\mathrm{out}}=\mathrm{A}_{p} \boldsymbol{p}_{\text {in }}
$$

where $\quad A_{p}=$ the power gain of the amplifier.
$p_{\text {out }}=$ the amplifier output power
$p_{\text {in }}=$ the amplifier input power
Example 9.7 shows an example of determining $\mathrm{A}_{\mathrm{p}}$

## The Effects of Loading

- The value of the load has an effect on the voltage gain of the common emitter amplifier.
- The lower the resistance of the load, the lower the voltage gain of the amplifier.
- The opposite is also true; that is the greater the resistance of the load, the greater the voltage gain of the amplifier.
- The greatest value of voltage gain $\left(\mathrm{A}_{\mathrm{v}}\right)$ occurs, when the load opens
- When the load is open, the ac collector circuit consists of $\mathrm{R}_{\mathrm{C}}$ only.

This is when $r_{\mathrm{C}}=\mathrm{R}_{\mathrm{C}}$ Since $\mathrm{R}_{\mathrm{C}}$ must always be greater than $\mathrm{R}_{\mathrm{C}} \| \mathrm{R}_{\mathrm{L}}$, an amplifier has its maximum value of $\mathrm{A}_{\mathrm{v}}$ when the load resistor is open.

## The Effects of Loading With a $12 \mathrm{k} \Omega$ Load

 The next three figures show the effect of different loading on the output of an amplifier.In each case, the different load will affect the voltage gain $\left(\mathrm{A}_{\mathrm{v}}\right)$ of the stage.

Fig. (a) shows an amplifier with a $12 \mathrm{k} \Omega$ load resistor.

$$
\begin{gathered}
r_{\mathrm{c}}=\mathbf{R}_{\mathrm{C}} \| \mathrm{R}_{\mathrm{L}}=2.4 \mathrm{k} \Omega \\
\mathbf{A}_{\mathbf{V}}=\frac{r_{\mathrm{c}}}{r_{\mathrm{e}}^{\prime}}=\frac{2.4 \mathrm{k} \Omega}{25 \Omega}=96
\end{gathered}
$$

Note that $\mathrm{r}_{\mathrm{C}}$ is $2.4 \mathrm{k} \Omega$ and the voltage gain is 96

## The Effects of Loading With a $6 \mathrm{k} \Omega$ Load

Fig. (b) shows an amplifier with a $6 \mathrm{k} \Omega$ load resistor.

Note that $r_{C}$ is now $2 \mathrm{k} \Omega$ and the voltage gain drops from 96 to 80

This shows that as the load resistance decreases, the voltage gain $\left(\mathrm{A}_{\mathrm{V}}\right)$ decreases.

$$
\begin{gathered}
r_{\mathrm{c}}=\mathbf{R}_{\mathrm{C}} \| \mathbf{R}_{\mathrm{L}}=2 \mathrm{k} \Omega \\
\mathbf{A}_{\mathbf{V}}=\frac{r_{\mathrm{c}}}{r_{\mathrm{e}}}=\frac{2 \mathrm{k} \Omega}{25 \Omega}=80
\end{gathered}
$$

## The Effects of Loading With no Load

Fig. (c) shows an amplifier
with the load resistor open.
Fig. (c) shows an amplifier
with the load resistor open.
This leaves only $R_{C}$ in the collector circuit, with no other resistance in parallel with it.

This situation gives us the maximum value of $\mathrm{A}_{\mathrm{V}}$ as shown in the calculation.



## Input Impedance

The input impedance of an amplifier is determined by the following formula.

$$
\begin{array}{ll}
\mathrm{Z}_{\text {in }}=\mathrm{R}_{1}\left\|\mathrm{R}_{2}\right\| \mathrm{Z}_{\text {base }} \\
\text { where } \mathrm{Z}_{\text {in }} & =\text { input impedance of the amplifier } \\
\mathrm{Z}_{\text {base }} & =\text { input impedance the transistor } \\
& \text { base terminal. }
\end{array}
$$

9.5

ELNC 1226 / 1231
Impedance Calculations



Fig. (a)

Circuit (a) shows a typical C.E. amplifier.
Circuit (b) shows the equivalent circuit.
Note that $Z_{\text {base }}$ is the input impedance to the base of the transistor.

Note that $Z_{i n}$ is the parallel combination of $\mathrm{Z}_{\text {base }}$ and the biasing resistors $\mathrm{R}_{1}$ and $\mathrm{R}_{2}$

## The Input Impedance to the Base



Earlier we studied the dc input resistance of the base.
Fig. (b)
Looking into the base of the transistor, the dc current sees the emitter resistor $\mathrm{R}_{\mathrm{E}}$, magnified by the dc current gain $\mathrm{h}_{\mathrm{FE}}$

This gave us the formula

$$
\mathbf{R}_{\text {base }}=\mathbf{h}_{\mathrm{FE}} \mathbf{R}_{\mathrm{E}}
$$

The input impedance of the base is an ac quantity that is derived in a similar fashion.

Looking into the base of the transistor, the ac current sees only the ac resistance of the emitter diode magnified by the ac current gain of the transistor.

This gives us the formula $\mathbf{Z}_{\text {base }}=\mathbf{h}_{\mathrm{fe}} \mathbf{r}_{e}^{\prime}$
Example 9.9 shows an example of finding input impedance

## Calculating Current Gain ( $\boldsymbol{A}_{i}$ )

We know that the overall current gain for a C.E. amplifier is always lower than the current gain $\left(\mathrm{h}_{\mathrm{fe}}\right)$ of the transistor.

We know that:

$$
\mathrm{A}_{\mathrm{i}}=\frac{i_{\text {out }}}{i_{\text {in }}}
$$

## This says that :

The current gain of the amplifier is the ratio of the ac load current $\left(I_{\text {out }}\right)$ to the ac source current ( $I_{\text {in }}$ )

We also know that:

$$
h_{f e}=\frac{i_{\mathrm{c}}}{i_{\mathrm{b}}}
$$

## This says that:

The current gain of a transistor is the ratio of ac collector current to the ac base current

Refer to the circuit to the right:

Note that the input to the amplifier contains a current divider consisting of $R_{1}, R_{2}$ and $\mathrm{Z}_{\text {base }}$
$\boldsymbol{i}_{b}$ will be less than $\boldsymbol{i}_{i n}$ since some current splits off through $\mathrm{R}_{1}$ and $\mathrm{R}_{2}$.

Similarly, $\boldsymbol{i}_{\text {out }}$ is less than $\boldsymbol{i}_{c}$ since some of the collector current splits off through $\mathrm{R}_{\mathrm{L}}$.

These two factors combine to cause the overall current gain of the amplifier to be significantly lower than the current gain of the transistor.

## Current Gain <br> Calculating the current gain (Ai)

The formula that follows takes these factors into account and provides us with figure for current gain of the stage.

$$
\mathrm{A}_{\mathrm{i}}=h_{f e}\left(\frac{\mathrm{Z}_{\text {in }} \mathrm{r}_{\mathrm{c}}}{\mathrm{Z}_{\text {base }} \mathrm{R}_{\mathrm{L}}}\right)
$$

where: $\quad \mathrm{Ai}=$ the current gain of the common emitter amplifier
$h_{\mathrm{fe}}=$ the current gain of the transistor
$\left(Z_{\text {in }} r_{c}\right) /\left(Z_{\text {base }} R_{L}\right)=$ the reduction factor introduced by the biasing and output components

Example 9.10 illustrates the above

## Multistage Amplifier Gain Calculations

How do we determine the overall gain of a multi-stage amplifier?

1) Determine the appropriate gain values for each individual stage.
2) Determine the overall gain by using one of the equations below

$$
\begin{aligned}
& \text { (1) } \quad \mathbf{A}_{v \mathrm{~T}}=\left(\mathbf{A}_{v 1}\right)\left(\mathbf{A}_{v 2}\right)\left(\mathbf{A}_{v 3}\right) \\
& \text { (2) } \\
& \mathbf{A}_{i \mathrm{~T}}=\left(\mathbf{A}_{i 1}\right)\left(\mathbf{A}_{i 2}\right)\left(\mathbf{A}_{i 3}\right) \\
& \text { (3) }
\end{aligned} \mathbf{A}_{p \mathrm{~T}}=\left(\mathbf{A}_{v \mathrm{~T}}\right)\left(\mathbf{A}_{i \mathrm{~T}}\right)
$$

Equations 1 and 2 above indicate that the overall value of $A_{v}$ or $A_{i}$ is a product of he individual stage gain values. Simply multiply them together to find the overall value.

Equation 3 indicates that the overall power gain is simply the product of the overall values of $A_{v}$ and $A_{i}$

Finding the voltage gain of a two stage amplifier.

- Perform the basic dc analysis on both stages in the usual way
- Find r'e for both stages.

Find the input impedance of the second stage $\left(\mathrm{Z}_{\mathrm{in}}\right)$
Find the ac collector resistance of the first stage. $\left(\mathrm{r}_{\mathrm{c}}\right)$
Find the voltage gain of the first stage.
Find the voltage gain of the second stage.
Find the total gain for both stages.
Examples 9.11 and 9.12 show a complete example of this procedure The Swamped Amplifier 9.6
Gain \& Impedance Calculations A swamped amplifier reduces variations in voltage gain by increasing the ac resistance of the emitter circuit.

By increasing this resistance, it also increases $\mathrm{Z}_{\text {base }}$
This, in turn, reduces the amplifier's loading effect on the previous stage.

Note that only part of the dc emitter resistance is bypassed.


The bypass capacitor eliminates only the value of $\mathrm{R}_{\mathrm{E}}$.

The other emitter resistor $r_{E}$, is now part of the ac equivalent circuit as shown on the next page.

## Electronic Fundamentals II

The Swamped Amplifier 9.6

Note in the figure to the right that $r_{\mathrm{E}}$ has now been included in the ac equivalent circuit.

Only part of the total dc emitter resistance has been bypassed.

Since the voltage gain of the amplifier is the ratio of collector resistance to emitter resistance, a new formula for voltage gain.


Example 9.13, 9.14 demonstrates the gain calculation for a swamped amplifier.

## The Effects of Swamping on $Z_{\text {base }}$

The input impedance is shown in the equation below.

$$
\mathbf{Z}_{\text {base }}=\mathbf{h}_{\mathrm{fe}}\left(\mathbf{r}_{e}^{\prime}+\mathbf{r}_{\mathrm{E}}\right)
$$

This says that the input impedance of the transistor base is equal to the ac emitter resistance r' ${ }^{\prime}$ plus the un-bypassed emitter resistance, all magnified by the ac current gain $h_{\text {fe }}$
Advantages

- more stable against variations r'e
- has a higher input impedance

Disadvantages

- It has a reduced voltage gain compared to a standard CE amplifier

Examples $9.15,9.16,9.17$ illustrate $\mathrm{Z}_{\text {in }}$ and $\mathrm{Z}_{\text {base }}$

The Swamped Amplifier 9.6

## Example Calculation

1) Find all the dc voltages
2) Find the ac output voltage

For the dc analysis of this circuit:


1) Will $R_{\text {in }}$ affect the value of $V_{B}$
$\mathrm{R}_{\text {base }}=\mathrm{h}_{\mathrm{FE}} \mathrm{R}_{\mathrm{E}}$
$=100(1000)$
$=100 \mathrm{k} \Omega$


Since $R_{\text {base }}$ is greater than 10 times $\mathrm{R}_{2}$ it can be ignored.
2) Find $V_{B} \quad V_{B}=\frac{\mathrm{R}_{2}}{\mathrm{R}_{1}+\mathrm{R}_{2}} \mathrm{~V}_{\mathrm{CC}}$

$$
=1.80 \mathrm{~V}
$$

3) Find $V_{E} \mathrm{~V}_{\mathrm{E}}=\mathrm{V}_{\mathrm{B}}-0.7 \mathrm{~V}$

$$
=1.10 \mathrm{~V}
$$

4) Find $I_{E} \quad \mathrm{I}_{\mathrm{E}}=\frac{\mathrm{V}_{\mathrm{E}}}{\mathrm{R}_{\mathrm{E}}}$

$$
\begin{aligned}
& =\frac{1.10 \mathrm{~V}}{1000 \Omega} \\
& =1.10 \mathrm{~mA}
\end{aligned}
$$

5) Find $V_{C}$

$$
\begin{aligned}
\mathrm{V}_{\mathrm{C}} & =\mathrm{V}_{\mathrm{CC}}-\mathrm{I}_{\mathrm{C}} \mathrm{R}_{\mathrm{C}} \\
& =10 \mathrm{~V}-(1.10 \mathrm{~mA} 3.6 \mathrm{k} \Omega) \\
& =6.03 \mathrm{~V}
\end{aligned}
$$

6) Find $V_{C E}$

$$
\begin{aligned}
\mathrm{V}_{\mathrm{CE}} & =\mathrm{V}_{\mathrm{CC}}-\mathrm{I}_{\mathrm{C}}\left(\mathrm{R}_{\mathrm{C}}+\mathrm{R}_{\mathrm{E}}\right) \\
& =10 \mathrm{~V}-1.10 \mathrm{~mA}(4.6 \mathrm{k} \Omega) \\
& =4.92 \mathrm{~V}
\end{aligned}
$$

7) Find $r^{\prime}$ e

$$
\begin{aligned}
\mathrm{r}_{\mathrm{e}}^{\prime}=\frac{25 \mathrm{mV}}{\mathrm{I}_{\mathrm{E}}} & =\frac{25 \mathrm{mV}}{1.10 \mathrm{~mA}} \\
& =22.66 \Omega
\end{aligned}
$$

## Example Calculation

8) Find $r_{C}$

$$
\begin{aligned}
r_{\mathrm{C}} & =\mathrm{R}_{\mathrm{C}} \| \mathrm{R}_{\mathrm{L}} \\
& =2647.06 \Omega
\end{aligned}
$$

9) Find $A_{V}$

$$
A_{V}=\frac{\mathrm{r}_{\mathrm{C}}}{\mathrm{r}^{\prime}{ }^{\prime}+\mathrm{r}_{\mathrm{E}}}
$$

$=\frac{2647.06 \Omega}{22.66 \Omega+180 \Omega}=13.06$
10) Find $v_{\text {out }} \quad v_{\text {out }}=\mathrm{A}_{\mathrm{v}} v_{\text {in }}$

$$
\begin{aligned}
& =(13.06) 50 \mathrm{mV}_{\mathrm{p}-\mathrm{p}} \\
& =653 \mathrm{mV}_{\mathrm{p}-\mathrm{p}}
\end{aligned}
$$



## Amplifier Efficiency

Amplifiers actually increase the power level of an ac input by transferring power from the dc power supply to the input
 signal.

In this example, the input signal has a power rating of 1.5 mW
This gives an output power of 450 mW , if $\mathrm{A}_{\mathrm{P}}$ is 300 .
The difference between $\mathrm{P}_{\text {in }} \& \mathrm{P}_{\text {out }}$ is 448.5 mW , and this power was actually transferred from the dc power supply to the load.

## Amplifier Efficiency

The ideal amplifier would deliver $100 \%$ of the power it draws from the dc power supply to the load.

This does not occur in practice,
 however, because the components of the amplifier dissipate some of the power.

A figure of merit for any amplifier is its efficiency. The efficiency of an amplifier is the amount of power drawn from the supply that is actually delivered to the load.
Example 8.6 illustrates efficiency rating

$$
\eta=\frac{\mathrm{P}_{\mathrm{L}}}{\mathrm{P}_{\mathrm{dc}}} \times 100
$$

Where $\eta=$ the efficiency of the amplifier
$\mathrm{P}_{\mathrm{L}}=$ the ac load power
$\mathrm{P}_{\mathrm{dc}}=$ the dc input power
$\eta$ is the Greek letter eta

## Distortion

One of the goals in amplification is to produce an output waveform that has the exact same shape as the input waveform.

Distortion is defined as any undesired change in the shape of the waveform.

The waveforms below illustrate several different types of distortion that can be produced by amplifiers


Input Waveform (pure sinewave)


Non Linear
Distortion


Crossover
Distortion

## Class A

Our mid-point biased C.E. amplifier that we have studied is

## Class A.

Under normal operating conditions. the Class A amplifier has:

An active device that conducts during the entire input cycle

- An output that contains little or no distortion

A maximum theoretical efficiency of $25 \%$.

## Class B

A typical Class B amplifier will have two transistors that are connected as shown here.

Under normal operating conditions, the Class B amplifier has:

- Two transistors that are biased at cutoff (each conducts during one half of the input cycle.

- An output that contains little or no distortion
- A maximum theoretical efficiency of 78.5\%

In Class B amplifiers, no current flows through the output transistors in the quiescent state.
This creates the relatively high efficiency rating and suits them well for use as power amplifiers

## Class AB

Class AB amplifiers conduct for slightly more than $180^{\circ}$ of the input cycle

This helps reduce cross-over distortion which will be discussed later


## Class C

The Class C amplifier contains a single transistor that conducts for less than $180^{\circ}$ of the ac input cycle.

The transistor is biased deeply into cutoff
The ac input to the transistor causes it to conduct for only a brief time during the input cycle

The rest of the output waveform is produced by the LC tank in the collector circuit.

## Class C

The class C amplifier is, by its design, a tuned amplifier.

A tuned amplifier is one that produces a usable output over a specific range of frequencies.

A Class C Amplifier typically has: $+4 \mathrm{~V}_{\mathrm{pk}}$

- A single transistor that conducts for less than $180^{\circ}$ of the input cycle.

- A maximum theoretical efficiency rating of $99 \%$

All amplifiers may be allocated to one of a number of classes depending on the way the active device is operated

Hybrid parameters or $h$-parameters are transistor specifications that describe the component operating characteristics under special circumstances. Each of the four $h$-parameters is measured under no-load or full load conditions.

These $h$-parameters are then used in circuit analysis applications.
The four $h$-parameters for a transistor in a common emitter amplifier are:

$$
\begin{aligned}
& h_{i e}=\text { the base input impedance } \\
& h_{P e}=\text { the base-to-collector ac current gain } \\
& h_{o e}=\text { the output admittance } \\
& h_{r e}=\text { the reverse voltage feedback ratio. }
\end{aligned}
$$

## The Input Impedance of the Base <br> $\left(h_{i c}\right)$

The Input Impedance of the Base $\left(h_{i e}\right)$ is measured with the output shorted. A shorted output is a full load condition. You can see in Fig (A) that the capacitor is an ac short from collector to emitter. Note that $h_{i e}$ is determined as:

$$
h_{i e}=\frac{v_{i n}}{i_{b}}
$$

Why short the output? Take the example of a swamped amplifier, we know that:

$$
\mathbf{Z}_{b a s e}=\boldsymbol{h}_{f e}\left(\boldsymbol{r}_{e}^{\prime}+\boldsymbol{r}_{E}\right)
$$



Fig (A) Input Impedance

By shorting the collector and emitter terminals, the measured value of $h_{i e}$ does not reflect any external resistance in the circuit.

## ac Current ( $h_{f f}$ )

The base to collector current gain is also measured with the output shorted. This means that $h_{f e}$ is measured under full load.

In Fig. (B), the output is shorted, and an ac signal voltage is applied to the base.


Fig (B) ac Current Gain

Both $i_{b}$ and $\boldsymbol{i}_{c}$ are measured under this full load condition and the ratio of them is the ac current gain.

## Output Admittance ( $h_{o c}$ )

The output admittance is measured
with the input open. An ac signal voltage is applied across the collector - emitter terminals and the ac current is measured in the collector circuit. The value of admittance is then calculated as:


Reverse Voltage Feedback ( $\boldsymbol{h}_{r 0}$ )
Fig (C) Output Admittance
This is the amount of output voltage that is reflected back to the input. It is measured with the input open. A signal is applied to the collectoremitter terminals. With the input open, the voltage fed back to the
 base-emitter junction is measured. Fig (D) Reverse Voltage feedback Since the base-emitter voltage is less than the collector-emitter voltage, $\mathrm{h}_{\mathrm{re}}$ will always be less than 1 .


## Circuit Calculations Involving h-parameters

For our purposes, we are interested in these four h-parameter equations.

These equations will give us more accurate results and should be used where ever possible.

$$
\begin{array}{cl}
\mathbf{A}_{i}=\boldsymbol{h}_{f e}\left(\frac{\mathbf{Z}_{\text {in }} \mathbf{r}_{\mathrm{c}}}{\boldsymbol{h}_{i e} \mathbf{R}_{\mathrm{L}}}\right) & \boldsymbol{r}_{e}^{\prime}=\frac{\boldsymbol{h}_{i e}}{\boldsymbol{h}_{f e}} \\
\mathbf{Z}_{\text {base }}=\boldsymbol{h}_{i e} & \mathbf{A}_{v}=\frac{\boldsymbol{h}_{f e} \mathbf{r}_{\mathrm{c}}}{\boldsymbol{h}_{i e}}
\end{array}
$$

